Written Methods for the Standard Multiplication Algorithm, 2-digit imes 2-digit





 $36 \times 94 = (30 + 6) \times (90 + 4)$ = 30 \times 90 + 30 \times 4 + 6 \times 90 + 6 \times 4

Method 2:

Area Method 1:

	90 -	⊦ 4	
			2700
30	2700	120	540
+			120
6	540	24	24
-			3384

Lattice Method 5:



Traditional Method 6: Showing the Recording the carries below Method 4: partial products for correct place value placement 4 94 94 94 94 $\times 36$ × 36 $\times 36$ $\times 36$ thinking: 52 2 24 6×4 44 564 564 540 6 × 9 tens 2 1 1 720 2820 2820 120 3 tens \times 4 2700 $3 \text{ tens} \times 9 \text{ tens}$ 3384 3384 3384 0 because we 3384 are multiplying by 3 tens in this row

Method 3:

Written Methods 2 and 3 are shown from right to left, but could go from left to right.

In Methods 3 and 4, digits that represent newly composed tens and hundreds in the partial products are written below the line intead of above 94. This way, the 1 from $30 \times 4 = 120$ is placed correctly in the hundreds place, unlike in Traditional Method 6, where it is placed in the (incorrect) tens place. In Method 4, the 2 tens from $6 \times 4 = 24$ are added to the 4 tens from $6 \times 90 = 540$ and then crossed out so they will not be added again; the situation is similar for the 1 hundred from $30 \times 4 = 120$.

In Method 3, all multiplying is done first and then all adding. In Method 4 and Traditional Method 6, multiplying and adding alternate, which is more difficult for some students.

Note that the 0 in the ones place of the second line of Methods 3, 4, and 6 is there because the whole line of digits is produced by multiplying by 30 (not 3).